

# BOARD OF INTERMEDIATE EDUCATION, KARACHI SECTION " A"Solution of MCQ's

#### **Annual Examination 2024**

| Subject | PHYSICS | Part I (New Course)          |
|---------|---------|------------------------------|
|         |         |                              |
| Marks   | 17      | Group Pre- Engg/ Pre Medical |

| r.No  | and the second second                  | Sr.No | Calculation of the second |
|-------|--|-------|---------------------------|
| i.    | 1                                      | x.    | Work                      |
| ii.   | Zero                                   | xi.   | Volume                    |
| iii.  | Increase                               | xii.  | 4 times                   |
| iv.   | Modulation                             | xiii. | Remains same              |
| v.    | Thermistor                             | xiv.  | Dercrease                 |
| vi.   | (a),(c) and (d)                        | xv.   | Exponential law           |
| vii.  | 45°                                    | xvi   | Energy                    |
| viii. | Force                                  | xvii  | $V_m > V_h > V_\alpha$    |
| ix.   | $\left(\frac{\pi}{180}\right)$ radians |       |                           |
|       |  |       |                           |

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## BOARD OF INTERMEDIATE EDUCATION, KARACHI

### Solution and Instruction of Sections "B" & "C"

### **Annual Examination 2024**

Subject PHYSICS Part I (New Course)

Marks 36 (Section B) Group Pre- Engg/ Pre Medical

| Q.No.2 |   |                        |
|--------|---|------------------------|
| i)     | <ul> <li>Free body diagram,         (01) mark</li></ul>   | Nain0=Fc = Fnet        |
| ii)    |   | og =W<br>(O1) mark     |
|        | Solution: Coulomb's electrostatic force = Weight of proton $ \frac{Kq_1q_2}{r^2} = mg \qquad \text{since, } q_1 = q_2 $ $ r^2 = \frac{Kq^2}{mg} = \frac{9 \times 10^9}{1.67 \times 10^{-27} \times 9.8} \times (1.6 \times 10^{-19})^2 = 0.014078 $ | (01) mark<br>(01) mark |

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| 2.No.2    | Solution and Instructions   |  |  |
|-----------|---|--|--|
| lii)      | 1/2   | 1 22   |  |
|           | Diagram Kirchoff's first law Diagram Kirchoff (01) mark   | f's second law<br>(01) mark  |  |
|           | Kirchoff's (Ist Law) Junction rule or current law "the total of the currents that flows   |  |  |
|           | into a junction is equal to the sum of currents flows outside the circuit".   | e junction in a  |  |
|           | $\sum I_{in} = \sum I_{out}$ or $I_1 + I_2 = I_3$ or $\sum I_1 = 0$   | (01) marl  |  |
|           | 에 어떤 귀하는 것이 하는 것이 아니는 살이지만 있는데 모든 모든 모든 사람이 되었다면 하는데 하는데 그 사람이 되었다면 하는데 하는데 되었다.  |  |  |
|           | Kirchoff's (2 <sup>nd</sup> Law) Loop rule or voltage law "sum of electromotive i   | orces in a loop  |  |
|           | Kirchoff's ( $2^{nd}$ Law) Loop rule or voltage law "sum of electromotive for equals the sum of the potential drops in the loop" $\sum E = \sum V$  | forces in a loop<br>(01) mark  |  |
| iv)       | .1. 그래 이 이 이 가격 고객들이 마음 하는 데 가는 것으로 된다면 하는 이  |  |  |
| iv)       | equals the sum of the potential drops in the loop" $\sum E = \sum V$ Data:  R = 500 m  v = 90 ms <sup>-1</sup>  | (01) marl  |  |
| iv)       | equals the sum of the potential drops in the loop" $\sum E = \sum V$ Data: $R = 500 \text{ m}$ $V = 90 \text{ ms}^{-1}$ $\theta = ?$ Solution: $R = \frac{v^2 \sin 2\theta}{r^2} \implies \sin 2\theta = \frac{Rg}{r^2}$  | (01) marl  |  |
| iv)       | equals the sum of the potential drops in the loop" $\sum E = \sum V$ Data: $R = 500 \text{ m}$ $v = 90 \text{ ms}^{-1}$ $\theta = ?$  | (01) mark  |  |
| i♥)<br>♥) | equals the sum of the potential drops in the loop" $\sum E = \sum V$ Data: $R = 500 \text{ m}$ $v = 90 \text{ ms}^{-1}$ $\theta = ?$ Solution: $R = \frac{v^2 \sin 2\theta}{g} \Rightarrow \sin 2\theta = \frac{Rg}{v^2}$ $2\theta = \sin^{-1}(\frac{Rg}{v^2}) = \sin^{-1}(\frac{500 \times 9.8}{90^2}) = 37.22^\circ$ $\theta = 18.61^\circ$ for launch angle; $\alpha = 90^\circ - 18.61^\circ = 71.39^\circ$ Charging of a capacitor always involves some expenditure of envoltage source. This energy is stored up in the electrostatic field dielectric medium (between the two conductors). When the capacitor to some external circuit (discharging) the stored energy is used in          | (01) mark (01) mark (01) mark (01) mark ergy from the set up in the r is connected in moving the             |  |
|           | equals the sum of the potential drops in the loop" $\sum E = \sum V$ Data: $R = 500 \text{ m}$ $v = 90 \text{ ms}^{-1}$ $\theta = ?$ Solution: $R = \frac{v^2 \sin 2\theta}{g} \Rightarrow \sin 2\theta = \frac{Rg}{v^2}$ $2\theta = \sin^{-1}(\frac{Rg}{v^2}) = \sin^{-1}(\frac{500 \times 9.8}{90^2}) = 37.22^\circ$ $\theta = 18.61^\circ$ for launch angle; $\alpha = 90^\circ - 18.61^\circ = 71.39^\circ$ Charging of a capacitor always involves some expenditure of envoltage source. This energy is stored up in the electrostatic field dielectric medium (between the two conductors). When the capacitor to some external circuit (discharging) the stored energy is used in charges. | (01) mark (01) mark (01) mark (01) mark ergy from the set up in the r is connected in moving the (1.5) marks |  |
| iv)       | equals the sum of the potential drops in the loop" $\sum E = \sum V$ Data: $R = 500 \text{ m}$ $v = 90 \text{ ms}^{-1}$ $\theta = ?$ Solution: $R = \frac{v^2 \sin 2\theta}{g} \Rightarrow \sin 2\theta = \frac{Rg}{v^2}$ $2\theta = \sin^{-1}(\frac{Rg}{v^2}) = \sin^{-1}(\frac{500 \times 9.8}{90^2}) = 37.22^\circ$ $\theta = 18.61^\circ$ for launch angle; $\alpha = 90^\circ - 18.61^\circ = 71.39^\circ$ Charging of a capacitor always involves some expenditure of envoltage source. This energy is stored up in the electrostatic field dielectric medium (between the two conductors). When the capacitor to some external circuit (discharging) the stored energy is used in          | (01) mark (01) mark (01) mark (01) mark ergy from the set up in the r is connected in moving the (1.5) marks |  |

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| Q.No.2 | Solution and Instructions   | 1           |
|--------|---|-------------|
| vi)    | Definition of escape velocity.  | (01) mark   |
|        | Derivation of equation $v_{cs} = \sqrt{2gR}$ with necessary mathematical steps.   |             |
|        | Zerranen er equation see v  | (03) marks  |
|        |   |             |
| vii)   | Data:<br>$A_1 = 10 \text{ cm}^2 = 0.001 \text{m}^2$<br>$F_1 = 50 \text{ N}$<br>$A_2 = ?$<br>$F_2 = 4800 \text{ N}$  | (01) mark   |
|        | Solution: $\frac{F_2}{F_1} = \frac{A_2}{A_1} \Rightarrow A_2 = \frac{F_2}{F_1} \times A_1$<br>$A_2 = \frac{4800}{50} \times 0.001 = 0.096 \text{ m}^2 = 960 \text{ cm}^2$   | (01) mark   |
|        | $A_2 = \frac{4000}{50} \times 0.001 = 0.096 \text{ m}^2 = 960 \text{ cm}^2$   | (02) marks  |
| viii)  | Data:  f = 3 Hz  µ= 0.72  x <sub>0</sub> =?   | (01) mark   |
|        | Solution: $a = \omega^2 x_0$ and $F = \mu mg$<br>$ma = \mu mg$ $\therefore$ $a = \mu g$<br>hence $\mu g = \omega^2 x_0$ $\therefore$ $\omega = 2\pi f$  | (1.5) marks |
|        | $x_0 = \mu g/(2\pi f)^2$ $x_0 = 0.72 \times 9.8/(2 \times 3.142 \times 3)^2 = 0.0198 \text{ m}$   | (1.5) marks |
| ix)    | Ray Diagram Why X-rays?  X-rays has wavelengths much shorter than those of visible light, comparable to the separation between the atomic planes of crystalline solids like NaCl crystal.  (01) mark  Derivation of m \(\lambda = 2\dsin\theta\) with necessary steps.  (02) marks  Note: The letters in figure (A.B.C.D) are not sensitive | d d         |

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| Q.No.2      | Solution and Instructions   | TO A STATE OF THE PARTY AND A STATE OF THE PAR |
|-------------|---|--|
| x)          | Data:<br>$r = 0.1 \text{ mm} = 1 \times 10^{-4} \text{ m}$<br>$\eta = 1.8 \times 10^{-5} \text{ Pa.s}$<br>$\rho = 850 \text{ kg}/\text{m}^3$<br>$F_d = ?$ | (01) mark  |
| - 10<br>- 1 | Solution: By Stoke's Law $F_d = 6\pi \eta r v_t$ $v_t = \frac{2\rho g r^2}{9\eta}$  |  |
|             | $\therefore F_d = 6\pi r^3 \times \frac{2\rho g}{9}$  | (01) mark  |
|             | $F_d = 6 \times 3.142 \times (1 \times 10^{-4})^3 \times \frac{2 \times 850 \times 9.8}{9} = 3.489 \times 10^{-8} \text{ N}$                              | (02) marks   |
| xi)         | Data:   | (01) mark  |
| ,           | L = 20 m<br>A = 1 mm <sup>2</sup> = 1 x 10 <sup>-6</sup> m <sup>2</sup><br>R = 5 $\Omega$<br>$\sigma$ = ?   |  |
|             | Solution: $\sigma = \frac{L}{RA}$   | (01) mark  |
|             | $\sigma = \frac{20}{5 \times 1 \times 10^{-6}} = 4 \times 10^{6} \text{ Siemens/m}$   | (02) marks   |
| xii)        | Statement: In the absence of an external force the total momentum   | n of the system  |
|             | before and after collision remains constant.  | (01) mark  |
|             | Data:<br>$m_1 = 100 \text{ g} = 0.1 \text{ kg}$<br>$m_2 = 10 \text{ kg}$  | (01) marl  |
|             | $u_{1} = 0$ $u_{2} = 0$ $v_{1} = 1000 \text{ ms}^{-1}$ $v_{2} = ?$  |  |
|             | Solution: $m_1u_1 + m_2u_2 = m_1v_1 + m_2v_2$   | (01) mark  |
|             | $v_2 = \frac{m_1 u_1 + m_2 u_2 - m_1 v_1}{m_2} = \frac{0.1 \times 0 + 10 \times 0 - 0.1 \times 1000}{10} = -10 \text{ms}^{-1}$                            | (01) mark  |

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| Q.No.2 | Solution ar   | d Instructions                    |  |
|--------|---|-----------------------------------|--|
| xiii)  | $T = 2\pi \sqrt{\frac{l}{g}}$   | $x = m\frac{\lambda}{2}$          |  |
|        | $[T] = [2][\pi] \sqrt{\frac{[L]}{[g]}}$   | $[x] = [m] \frac{[\lambda]}{[2]}$ |  |
|        | since 2 and $\pi$ are dimensionless;  | $[L] = [m] \frac{[L]}{[2]}$       |  |
|        | $[T] = \sqrt{\frac{[L]}{[LT^{-2}]}}$  | since m and 2 are dimensionless;  |  |
|        | $[T] = \sqrt{\frac{1}{[T^{-2}]}}$   | $\mathbf{L} = \mathbf{L}$         |  |
|        | $[T] = \sqrt{[T^2]}$  | L.H.S = R.H.S                     |  |
|        | T = T<br>L.H.S = R.H.S  |                                   |  |
|        | (02) marks  | (02) marks                        |  |
| xiv)   | Newton's formula for speed of sound; v  |                                   |  |
|        | Laplace correction; Newton assumed that propagation of sound waves is an                    |                                   |  |
|        | isothermal process. But according to Laplace when sound waves travel through                |                                   |  |
|        | air, there is compression and rarefaction in the particles of the medium. Where             |                                   |  |
|        | there is compression, the temperature rises. At rarefaction particles go apart and          |                                   |  |
|        | there is fall of temperature. Therefore, the temperature does not remain constant.          |                                   |  |
|        | As sound waves travel through air with a speed of 330 ms <sup>-1</sup> , the changes in air |                                   |  |
|        | pressure, volume and temperature is taken place so rapidly. The process is not              |                                   |  |
|        | isothermal but it is adiabatic process hence Boyle's law is not applicable. The total       |                                   |  |
|        | quantity of heat of the system as a whole remains constant.                                 |                                   |  |
|        |   | (02) marks                        |  |
|        | Laplace corrected formula $v = \sqrt{\frac{\gamma P}{\rho}}$                                | (01) marks                        |  |
|        |   |                                   |  |

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### (Section C)

#### Marks 32

| Q.No. | Solution and Instructions  |                          |  |
|-------|--|--------------------------|--|
| 3a.   | Bernoulli's principle  | (01) mark                |  |
|       | Assumptions  | (01) mark                |  |
|       | Diagram  | (01) mark                |  |
|       | Derivation   | (05) marks               |  |
| 3b.   | Definition of electric dipole  | (01) mark                |  |
|       | Diagram clearly showing the direction of electric fields and their rects components  | ngular<br>(1.5) marks    |  |
|       | Derivation   | (5.5) marks              |  |
| 4a.   | Addition of vectors by "Head to tail rule"     Diagram     Description     Addition of vectors by 'rectangular component method" | (01) marl<br>(01) marl   |  |
|       | Diagram Description  | (1.5) mark<br>(4.5) mark |  |
| 4b.   | Name the acceleration due to change in direction of linear velocity definition of centripetal acceleration                       | OR<br>(01) mark          |  |
|       | Diagrams; (both in terms of arc length and change in velocity vector Derivation  | r) (01) mark             |  |
|       | In terms of linear velocity  | (05) marks               |  |
|       |  |                          |  |

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| Q.No. | Solution and Instruc   | etions   |
|-------|--|--|
| 5a.   | Definition of Simple Harmonic motion   | (01) mark  |
|       | Reference diagram (01) mark  | $ \begin{array}{c c} F_1 = 0 \\ \hline CONTROL $ |
|       | Derivation   | (06) marks   |
| 5ъ.   | Definition of Doppler's effect   | (01) mark  |
|       | (i) listener moves towards stationary source:<br>Diagram   | (0.5) marks  |
|       | Derivation; $f' = \left(\frac{v + v_0}{v}\right) f_s$  | (03) marks   |
|       | (ii) source moves towards stationary listener: Diagram   | (0.5) marks  |
|       | Derivation $f' = \left(\frac{v}{v - v_s}\right) f_s$ $f_s$ ; is the frequency of the source; please consider if student use "f" instead of $f_s$ | (03) marks   |

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